

Three-Dimensional Quantification of Nanoparticles by Electron Tomography –Improvement of Binarization Parameters

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Electron tomography is used to study in detail objects in the micro- to nanometer regime. Whereas the technique is used in biology to solve mostly topological questions, in material science the intensity produced by Z-contrast [1] is used in addition to distinguish different types and quantities of a material, e.g. for the case of embedded catalytic particles or embedded semiconductor nanoparticles. In order to quantify reliably their size and shape depending sensitively on the threshold, there is a strong demand for guidelines [2] in data-binarization.

Therefore, an extensive simulation study was performed with a number of parameters varied, in order to derive the necessary threshold. Due to artefacts, resulting either from the missing wedge problem, i.e. the elongation [3], or the reconstruction, i.e. anisotropic variation of the intensity [4], the simulation was carried out for the elongation-free acquisition-scheme of $\pm 90^\circ$. Herewith, we concentrated on the impact of the reconstruction algorithm and solved the problem of unknown threshold [5]. We studied by spherical phantoms the impact of intensity (different material content) and of volumetric position (with respect to the tilt axis and to the z-height) on the chosen SIRT reconstruction from XMIPP [6] by identifying the threshold and comparing the $\pm 90^\circ$ to the $\pm 75^\circ$ (Fig. 1, 2) acquisition-scheme [7]. We show the limitations and improve our so far derived binarization-scheme.

We apply our derived knowledge on the ErSi_2 nanoparticles in 4H-SiC that was studied previously for their growth mechanism [8-10]. We exemplify our results by quantification of the particle volume with respect to the implantation depth of experimentally acquired data ($\pm 75^\circ$ tilt-series of slab-like sample geometry and $\pm 90^\circ$ tilt-series of focused-ion-beam prepared needle-like sample geometry).

1. P.A. Midgley, M. Weyland, *Ultramicroscopy* 96 (2003), p. 413.
2. H. Friedrich, M. R. McCartney and P. R. Buseck, *Ultramicroscopy* 106 (2005), p. 18.
3. T. Kaneko, H. Nishioka, T. Nishi, H. Jinnai, *J. of Electron Microscopy* 54 (2005), p. 437.
4. S. Doré, R.E. Kearney, *Medical & Biological Engineering & Computing* 42 (2004), p. 591.
5. N. Kawase, M. Kato, H. Nishioka, H. Jinnai, *Ultramicroscopy* 107 (2007), p. 8.
6. C.O.S. Sorzano, R. Marabini, J. Velázquez-Muriel, et al., *Journal of Structural Biology* 148 (2004), p. 194.
7. J. Leschner, A. Chuvilin, J. Biskupek, and U. Kaiser, 3rd Int. Symp. On “Trends in Nanoscience 2009”, Monastery of Irsee, Germany; Abstract P-47.
8. U. Kaiser, D.A. Muller, J.L. Grazul, A. Chuvilin, M. Kawasaki, *Nature Materials* 1 (2002), p. 102.
9. C. Kübel, U. Kaiser, *Microscopy and Microanalysis* 12 (2006), p. 1546.
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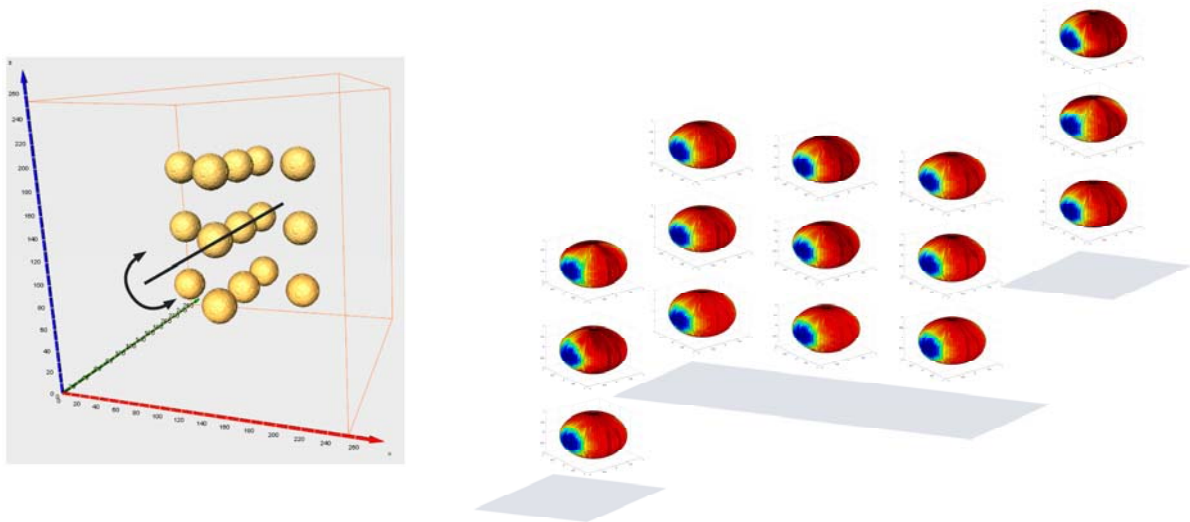


Figure 1. Threshold-maps for a missing-wedge-free acquisition-scheme of $\pm 90^\circ$: (left) phantom of spheres distributed along and perpendicular to the tilt-axis represented by the black line; (right) threshold-maps for all spheres in the front, middle and back plane indicated by gray planes. A perfect reconstruction along the tilt-axis (blue: a threshold value of zero shows perfect reconstruction) and a non-perfect reconstruction perpendicular to it (red: indicating a threshold unequal to zero) are revealed. The fact that all spheres show similar shading reveals a constant binarization-scheme within the volume.

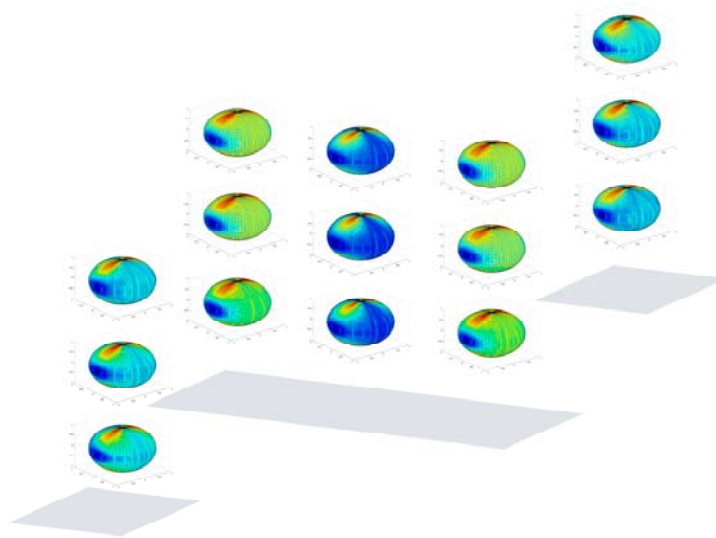


Figure 2. Identified threshold-maps of the phantom from Figure 1(left) for a limited tilt-range of $\pm 75^\circ$. It reveals the missing-wedge artefact on top and at the bottom of each sphere in addition to the basic dependence as shown in Figure 1. In addition a position-dependence within the volume can be clearly seen as the shading differs from sphere to sphere.